



# Modelica® Tutorial for Beginners

*Exercises with Dymola*

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based on material from Hilding Elmqvist and Martin Otter

# Outline

## Y Getting started with Dymola

## Y Exercises

- Using the Modelica standard library
  - 1. Simple drive train
  - 2. Animation of a pendulum
- Writing simple models (own equations)
  - 3. Acceleration of mass
  - 4. Different model variants of a pendulum
- Definition of arrays of components
  - 5. 1-dim heat flow
- Hybrid systems
  - 6. Automatic gear box
  - 7. Bouncing ball
  - 8. Hysteresis Block

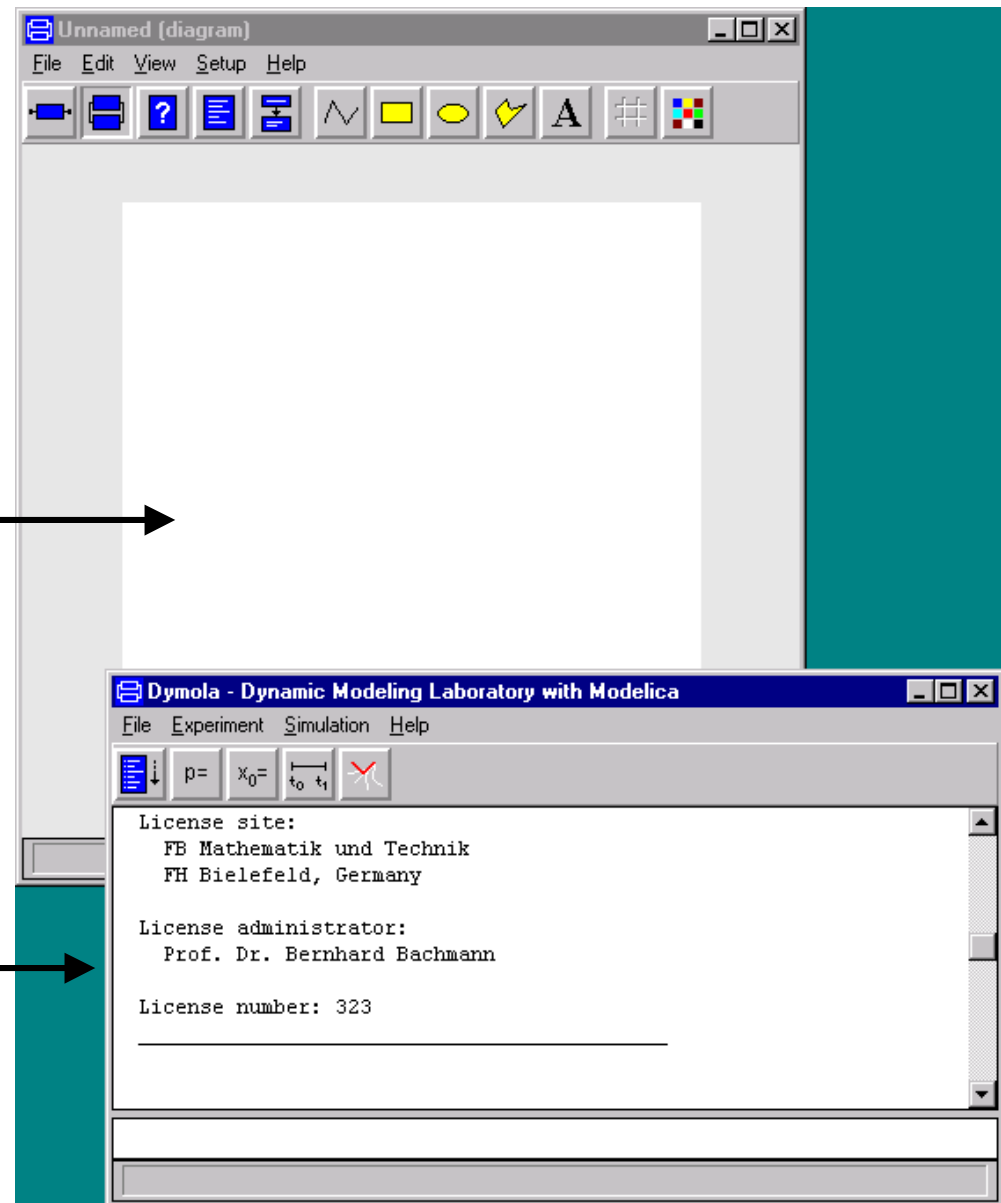
# Getting Started with Dymola

## 1. Start Dymola

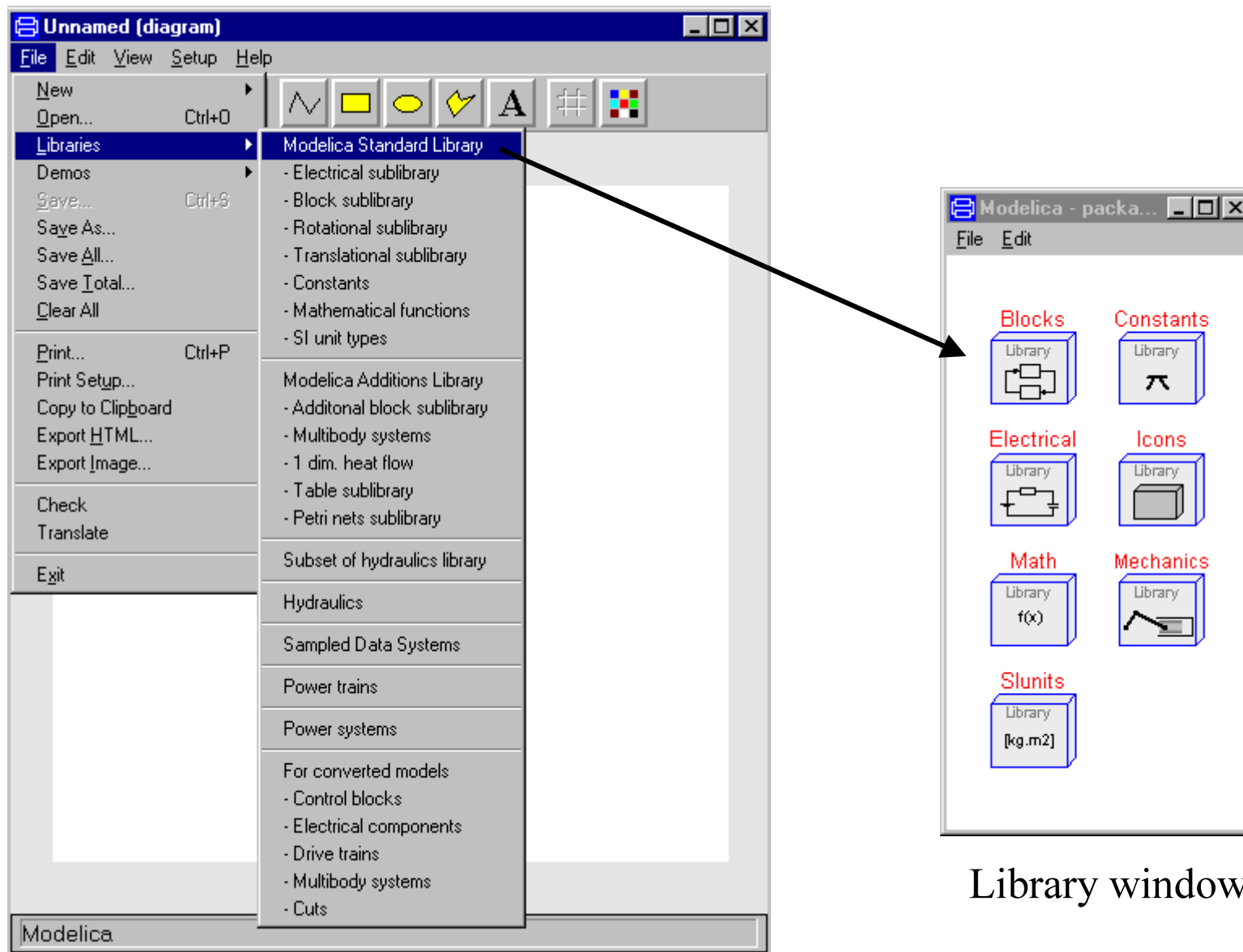
(2 windows appear)

Define model as  
**composition diagram**

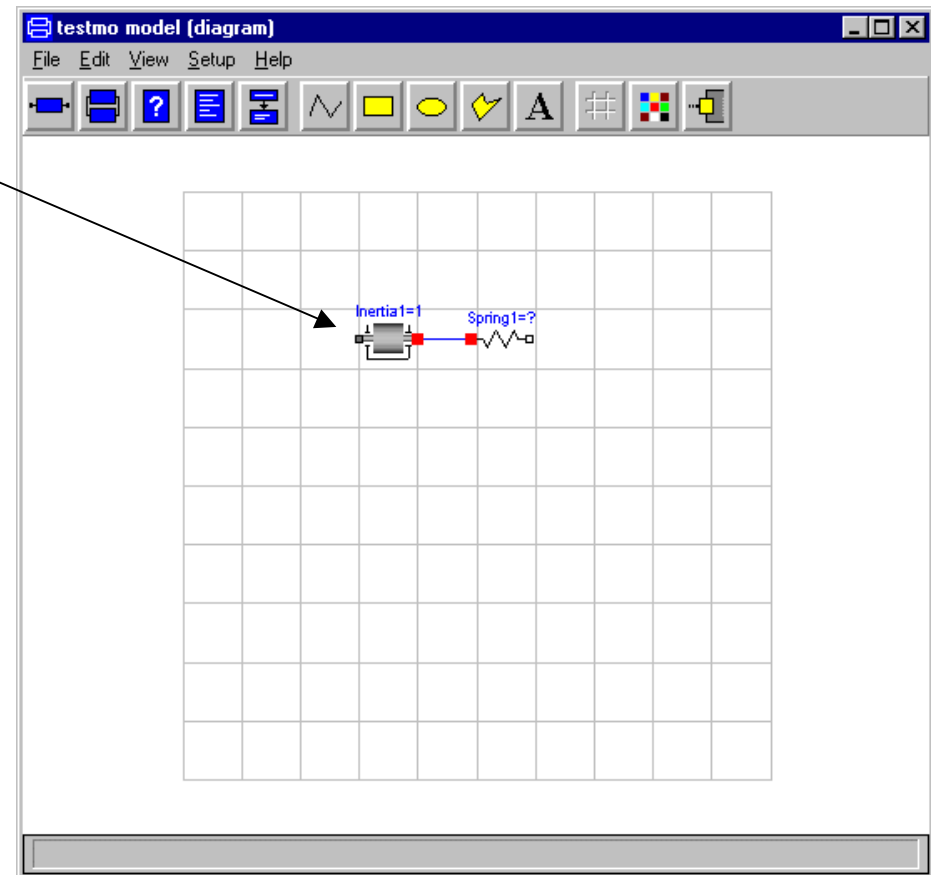
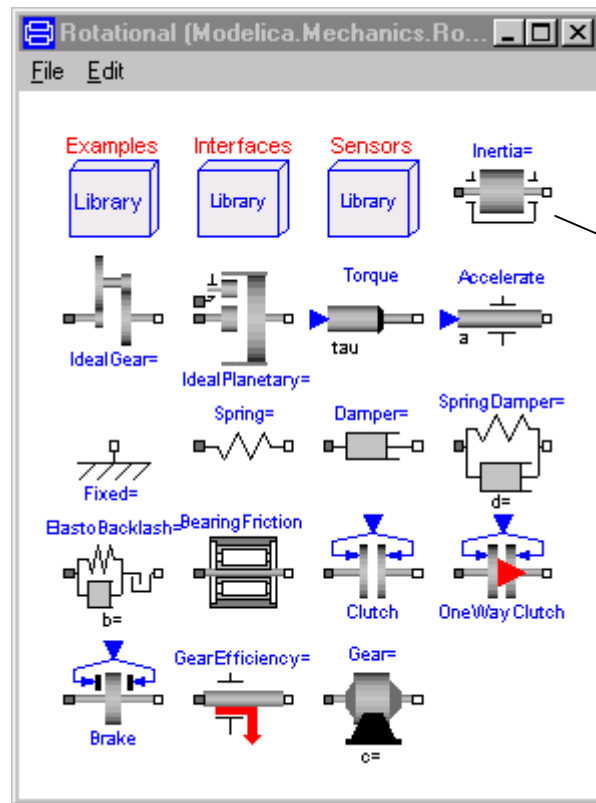
**simulate here**



# Open library windows



# Drag & Drop modeling



Modelica-Bibliothek:  
Modelica.Mechanics.Rotational

# Build up model using libraries

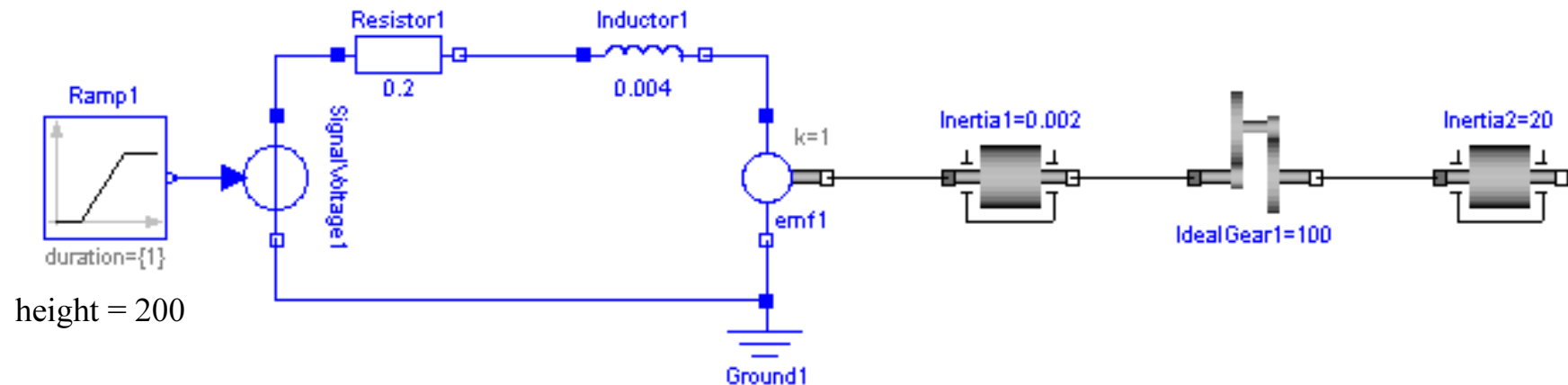
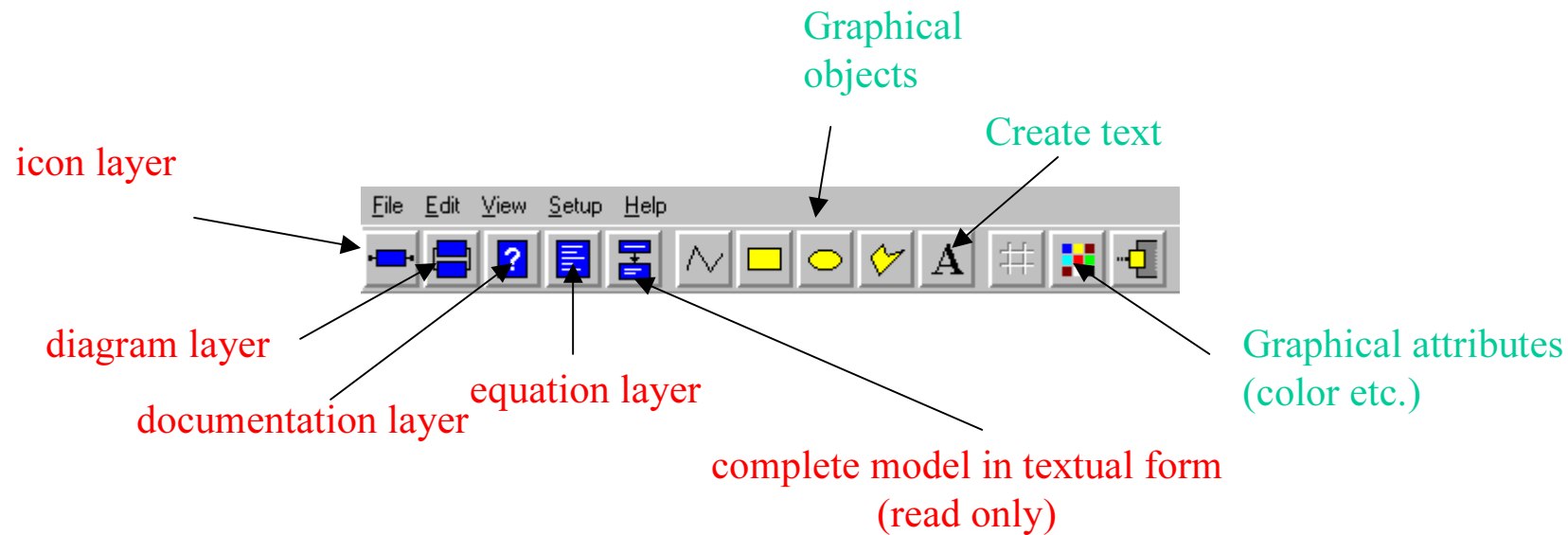
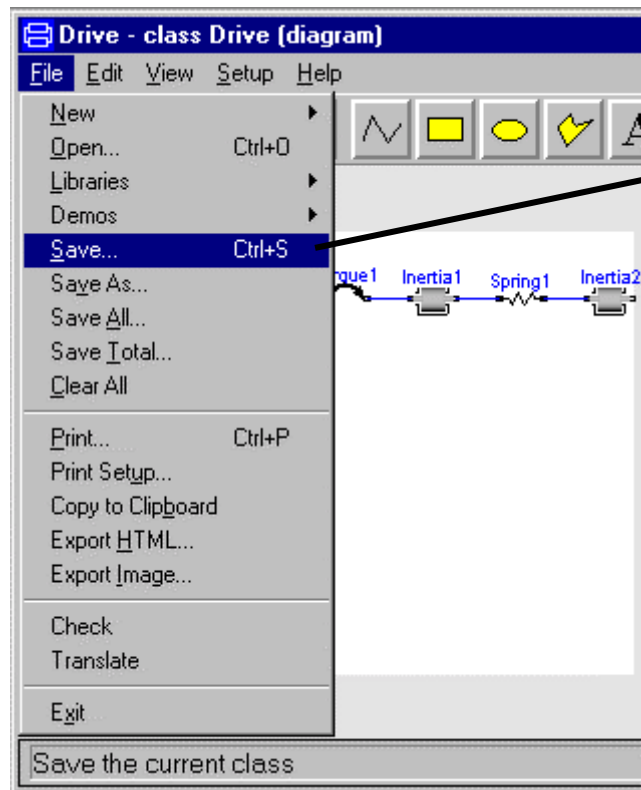
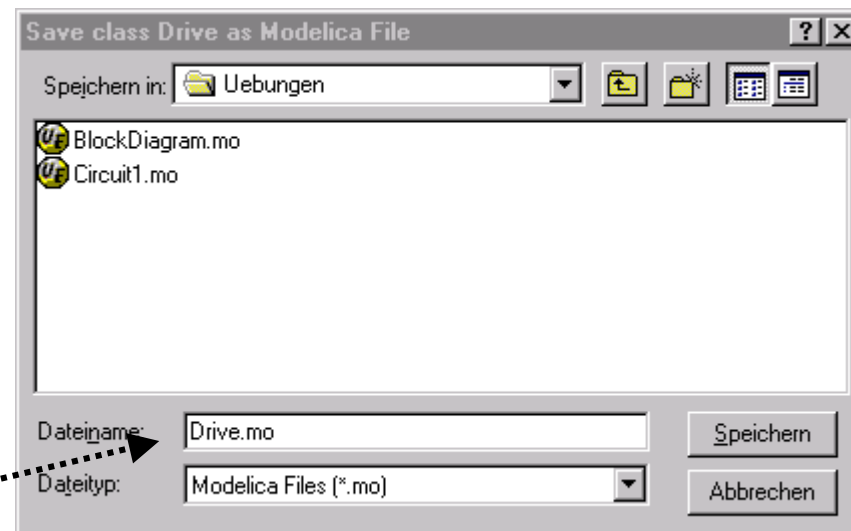
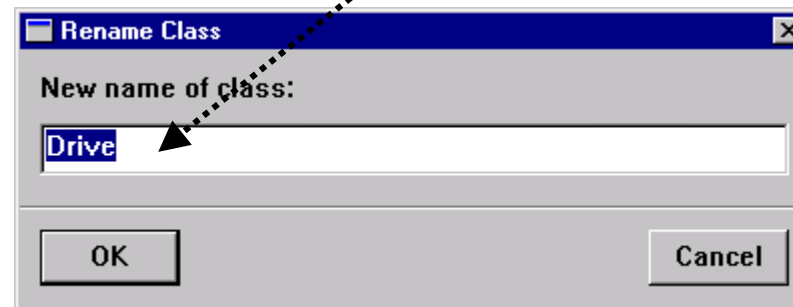


diagram layer

# Save model



Model name (letters, digits, ...)



File name (Default: **<Model name>.mo** )

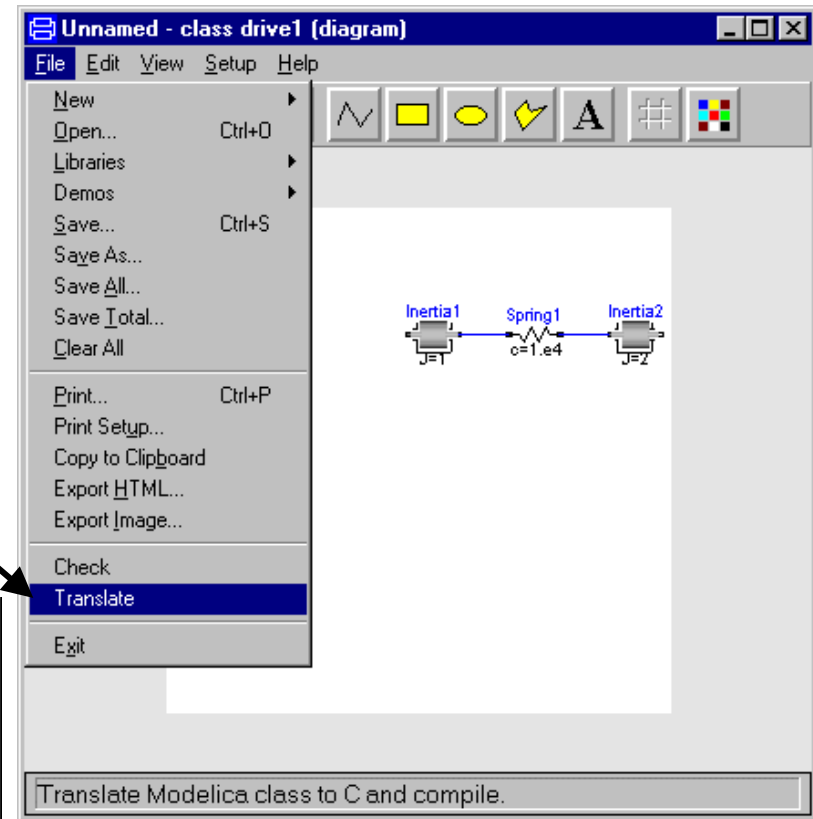
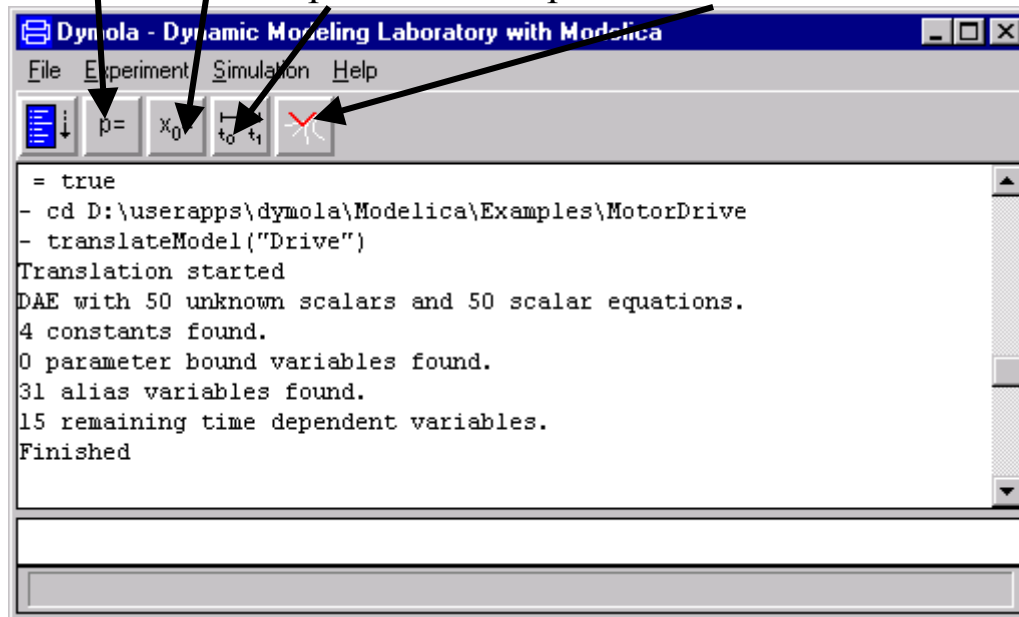
# Translate model

change parameter in translated model

set initial conditions for states

experiment Setup

simulate





## Set integration parameters in experiment setup

Experiment setup

Simulation Interval

Start time: 0

Stop time: 1.0

Output Interval

☐ Interval length: 0

☒ Number of intervals: 500

Integration

Algorithm: Dassl

Tolerance: 1E-4

Fixed Int. Step Size: 0

OK Cancel

Final simulation time

Number of output points

Only for integration routines with fixed step size  
(Euler/Rkfix2/3/4)

Dassl

Deabm

Lsode1

Lsode2

Lsodar

Dopri5

Dopri8

Grk4t

**Dassl**

Odassl

Mexx

Euler

Rkfix2

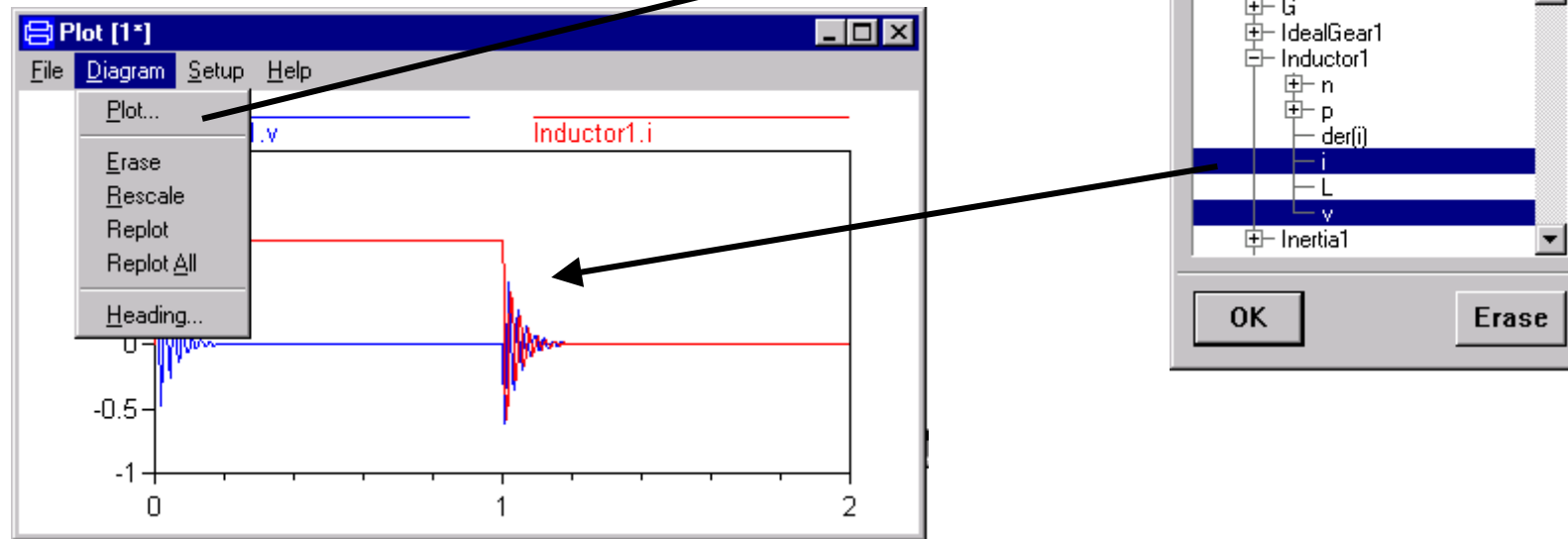
Rkfix3

Rkfix4

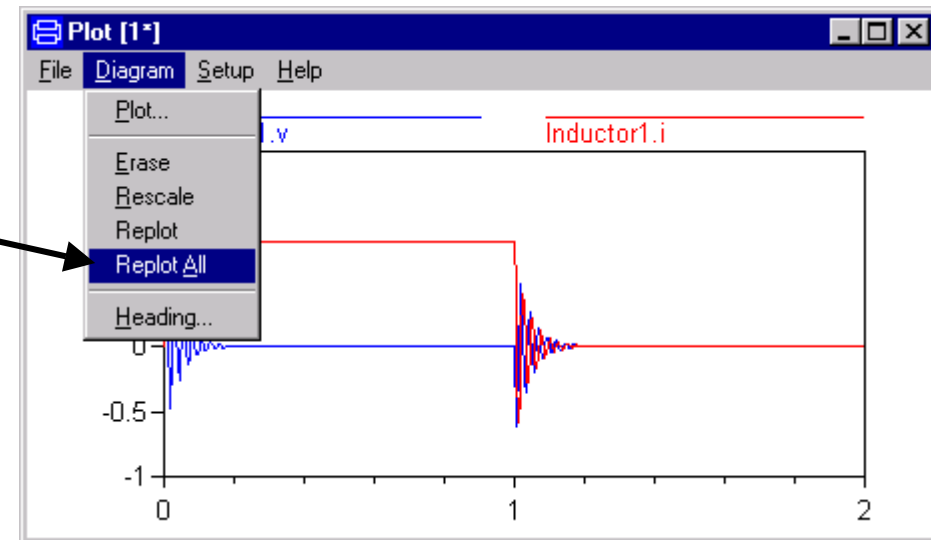
integration routine

## Simulieren!

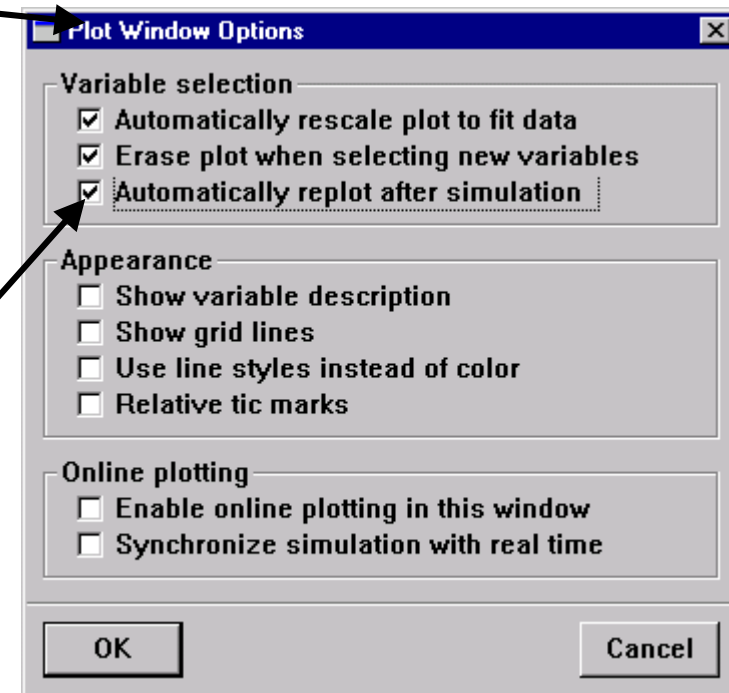
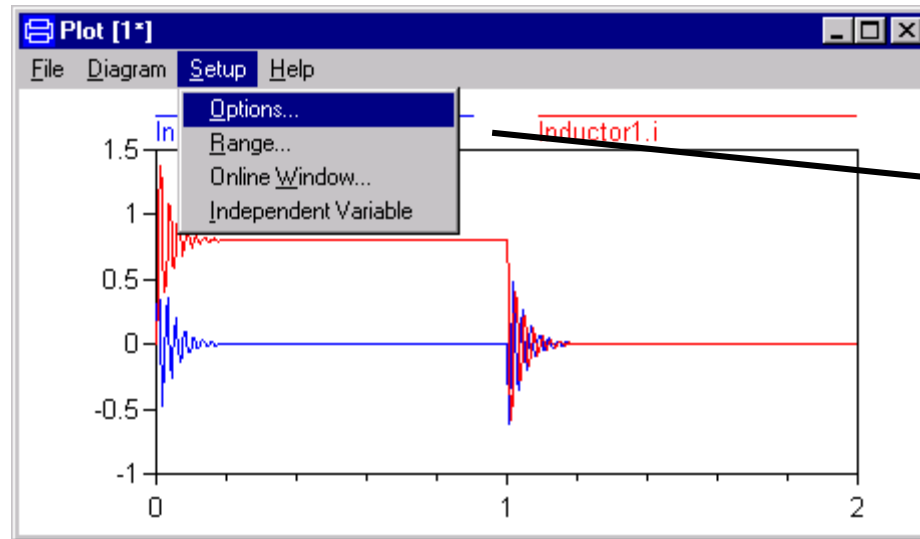
# Plot results



After a second simulation the previous variable selection can be reused

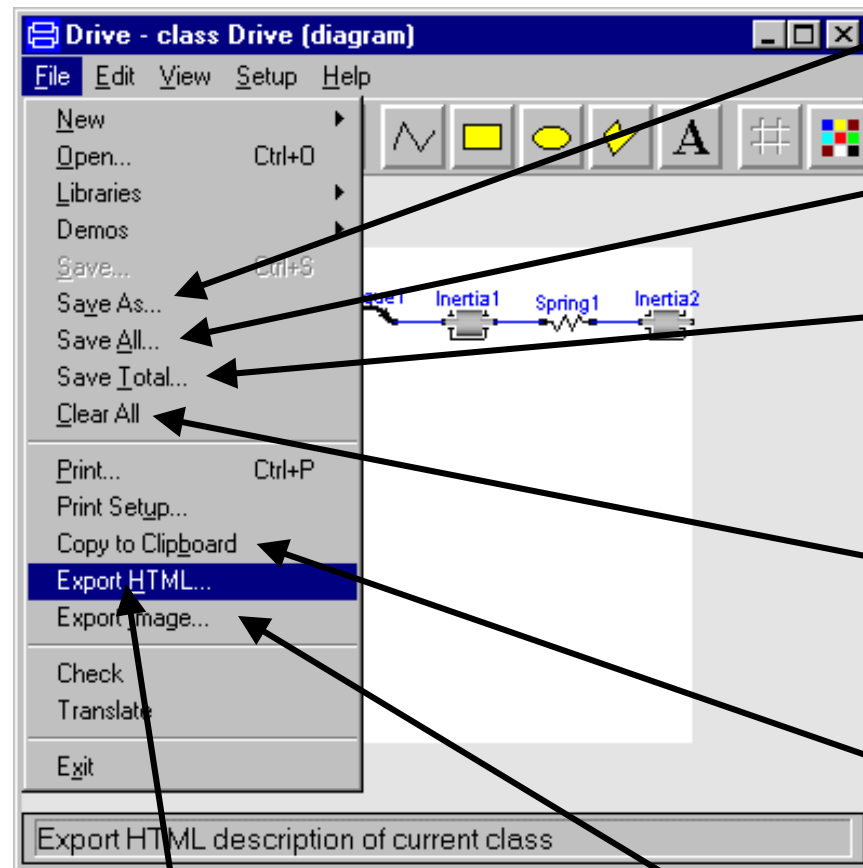


# Set Options



Even better:  
use "Re-plot all" as default

# Some useful menus of Dymola



## Save As ...

Save model under a new name

## Save All ...

Save all open models

## Save Total ...

Save model including all used components from all libraries in one file

## Clear All

clear all models in Dymola (re-start)

## Copy to Clipboard

store picture of model in windows metafile format on clipboard. (for re-use in PowerPoint or Word)

## Export HTML ...

Generate complete documentation of the model in HTML-format

## Export Image ...

Store picture of model in gif format

# Exercise 1: Simple drive train

## Goal:

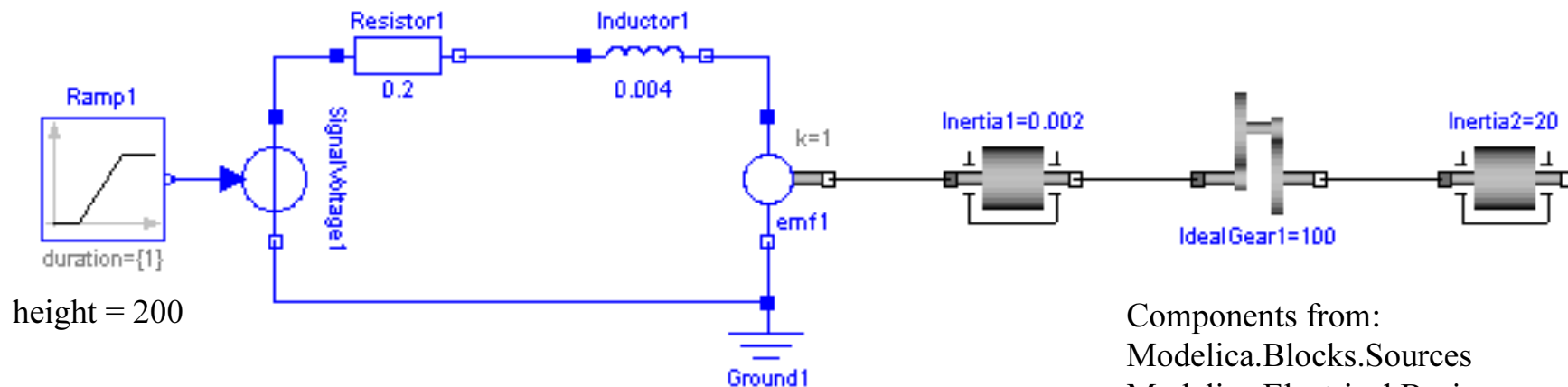
Build model and simulate using only components from available libraries  
(useful for complete beginners)

## Task:

Model and simulate the following simple drive train  
(dc-motor with load and ideal gear-box)

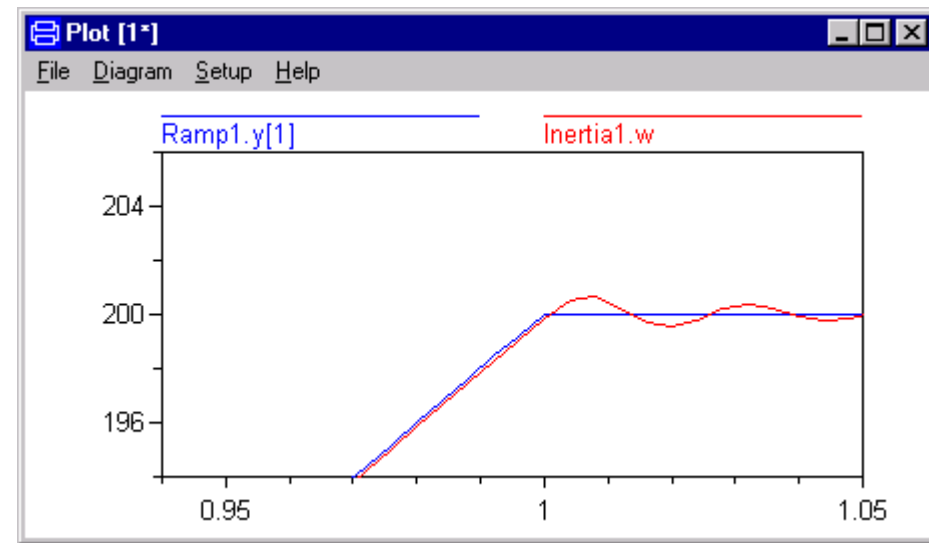
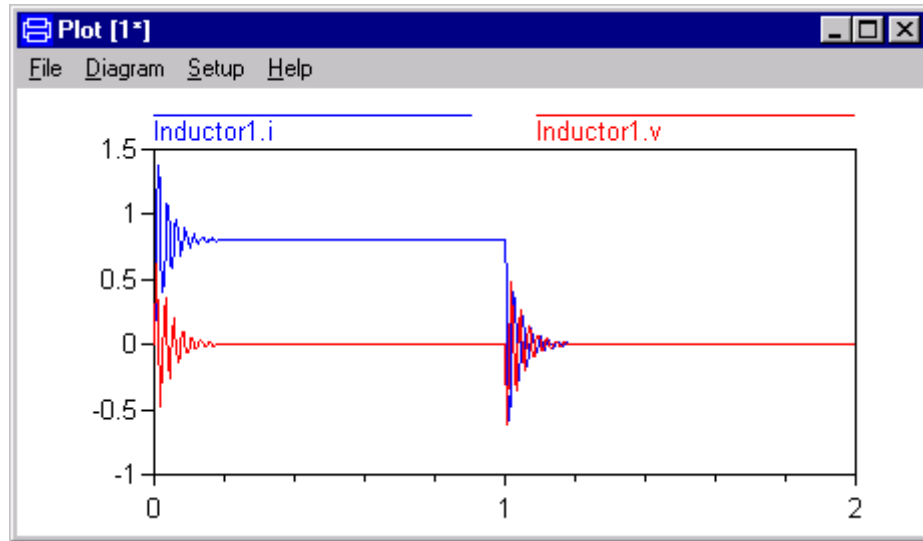
Simulate for 2 s

Try different values for the load inertia ( $\text{inertia2} = 10 \dots 30$ )



Components from:  
Modelica.Blocks.Sources  
Modelica.Electrical.Basic  
Modelica.Mechanics.Rotational

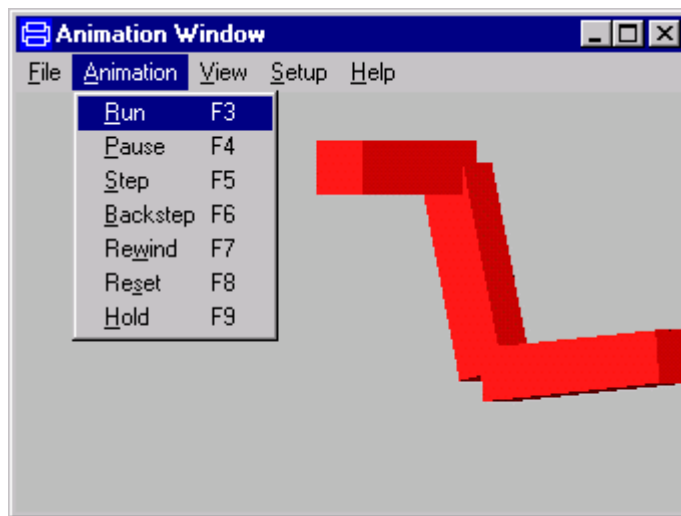
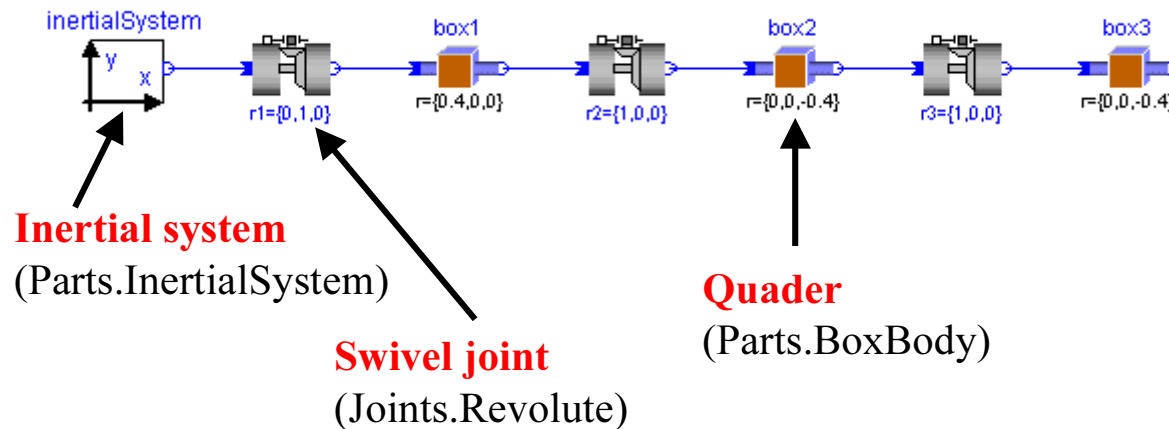
# Exercise 1: Result plot



## Exercise 2: Futura pendulum

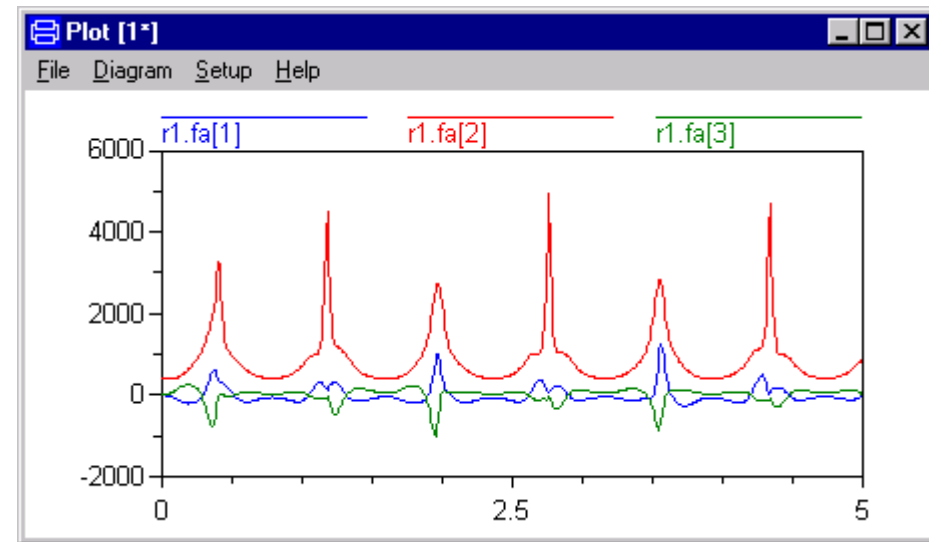
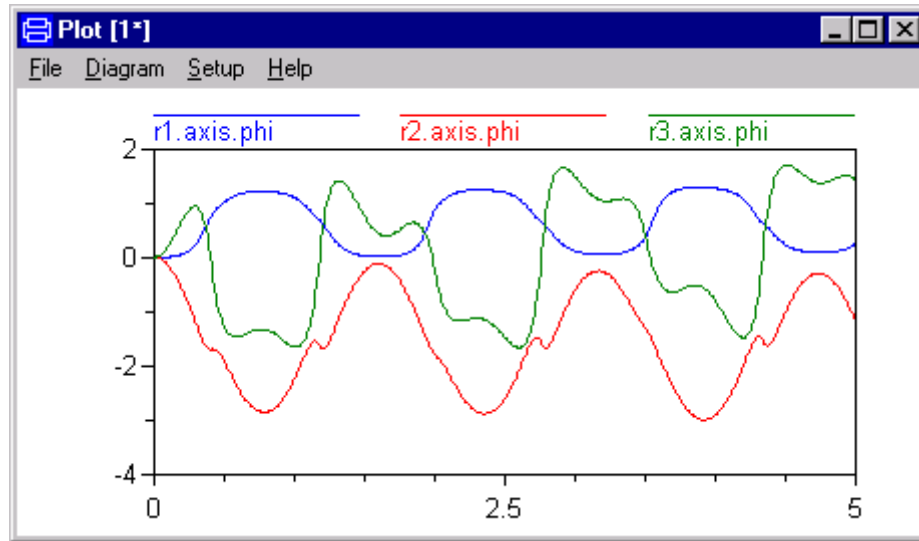
### Task:

Model, simulate and animate the futura pendulum example using the **ModelicaAdditions.MultiBody** library. Simulate for 5 s



Animation of  
the Simulation Results

## Exercise 2: Result plot

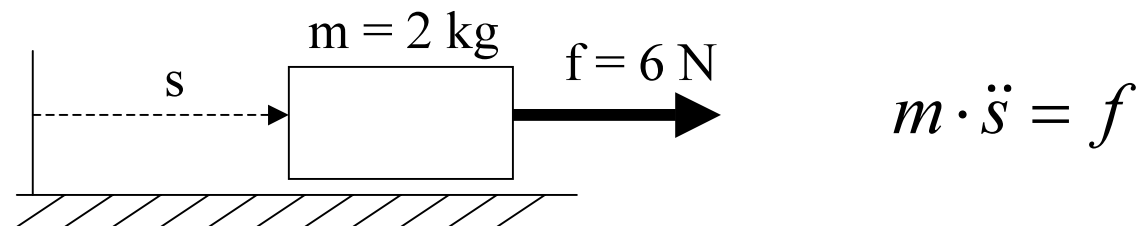




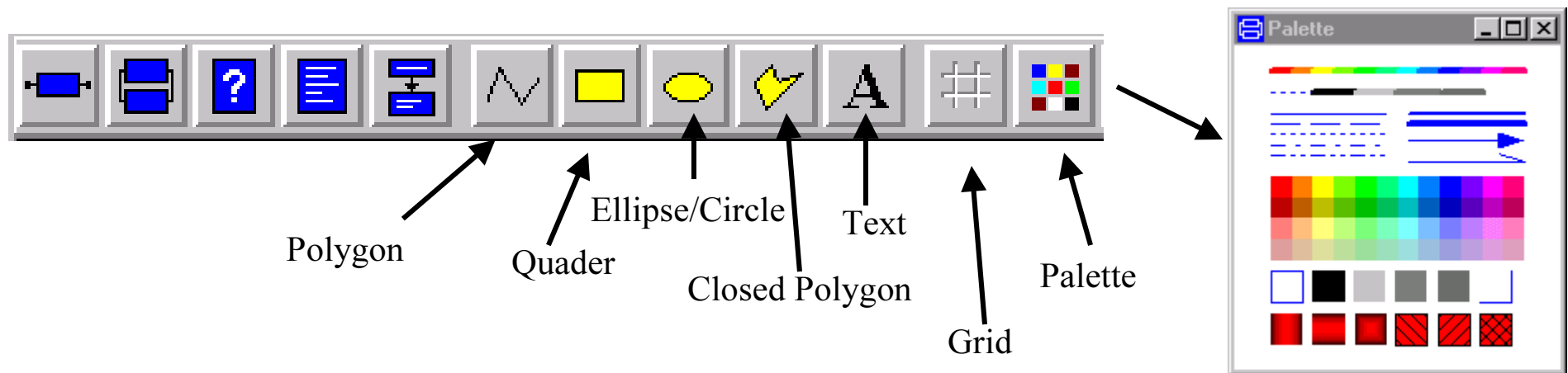
## Exercise 3: Acceleration of mass

### Task:

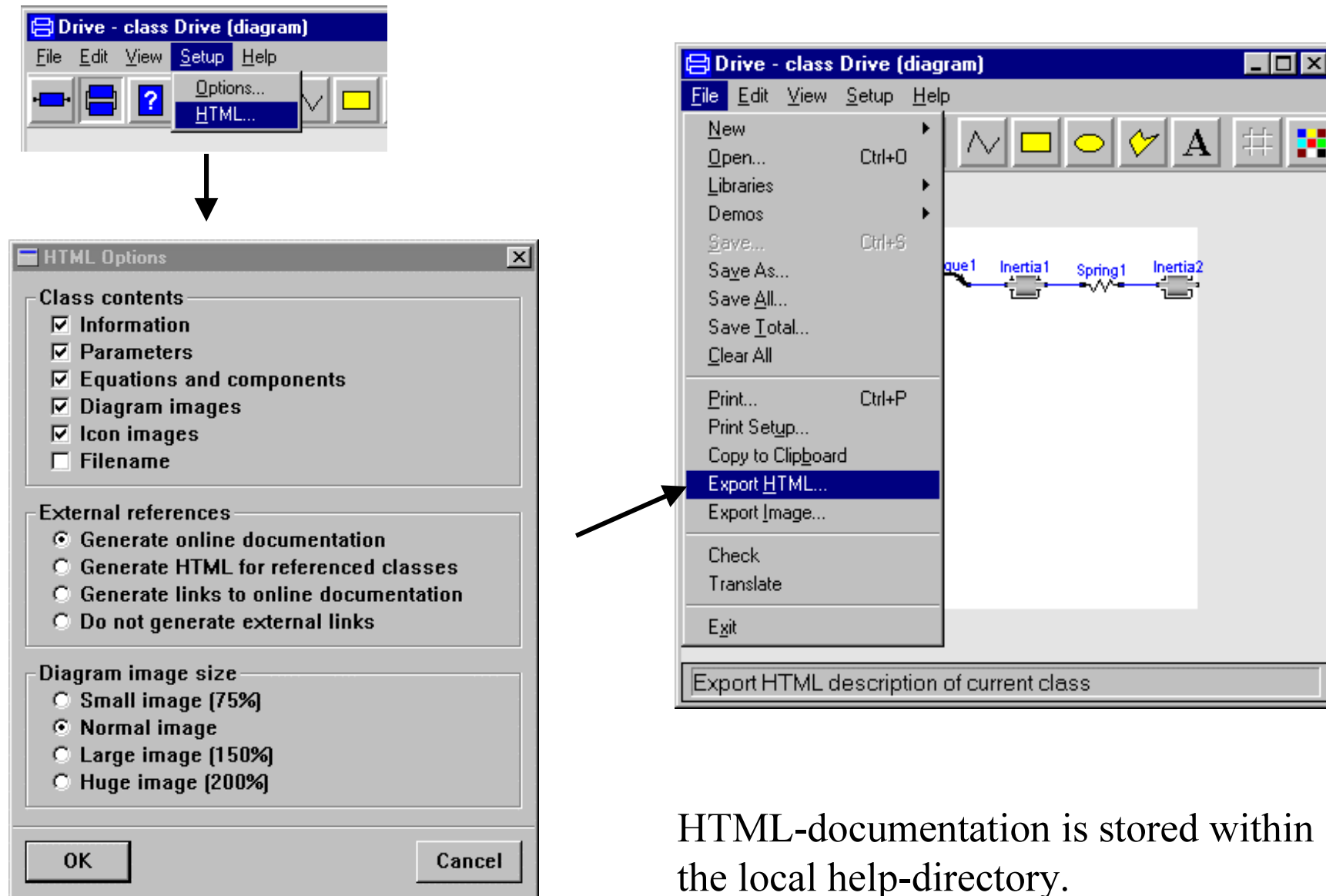
Model and simulate variant 3 of the accelerated mass example (see Tutorial)



create a **picture** of the model within the **diagram layer** and  
create an **HTML-documentation** of the complete model



## Exercise 3: Create HTML-documentation



HTML-documentation is stored within the local help-directory.

## Exercise 4: Different model variants of a pendulum

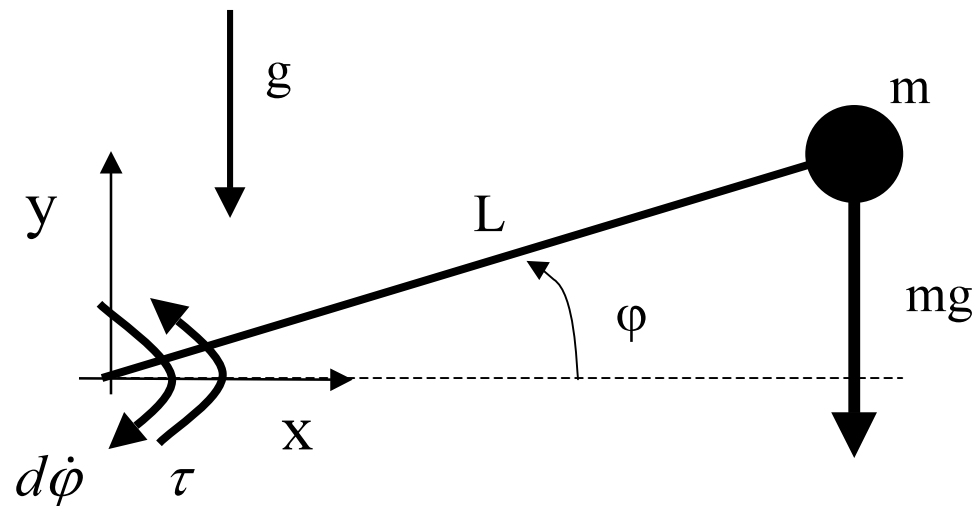
### Task 1:

Create two different model versions of a robot arm (= Pendulum)

(a) using the component library [ModelicaAdditions.MultiBody](#)

(b) writing the **equations** by hand.

Simulate and check the results of both models!



Equation at the center of rotation:

$$J \cdot \ddot{\varphi} = -m \cdot g \cdot L \cdot \cos(\varphi) - d \cdot \dot{\varphi} + \tau$$

## Exercise 4:a) Pendulum - with ModelicaAdditions.MultiBody

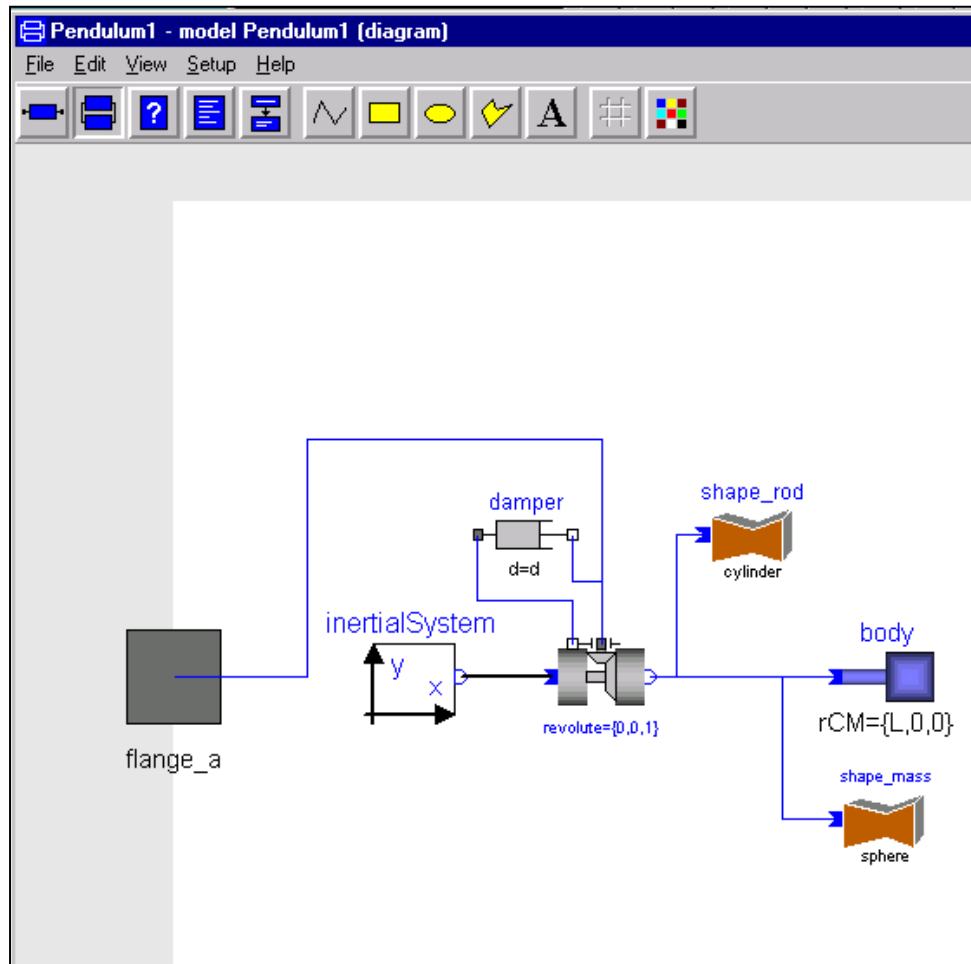
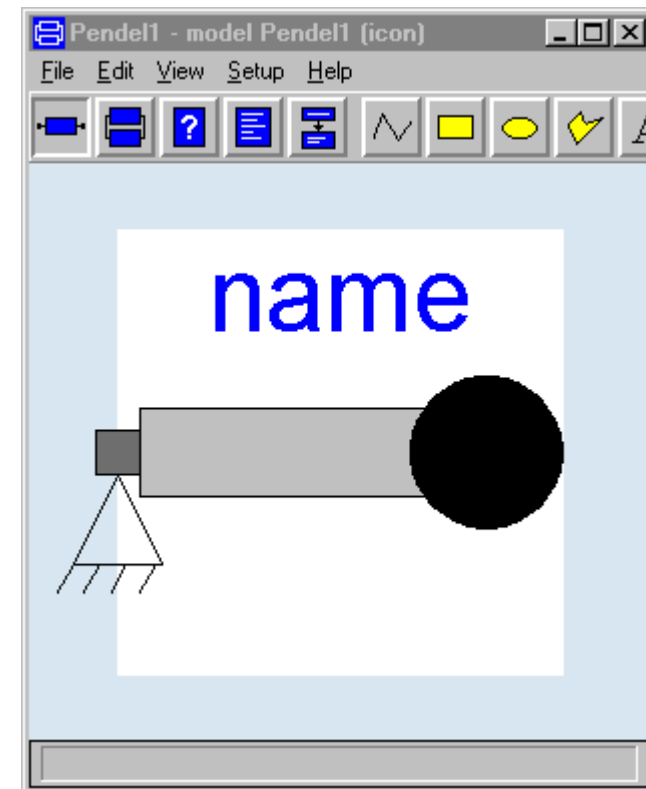
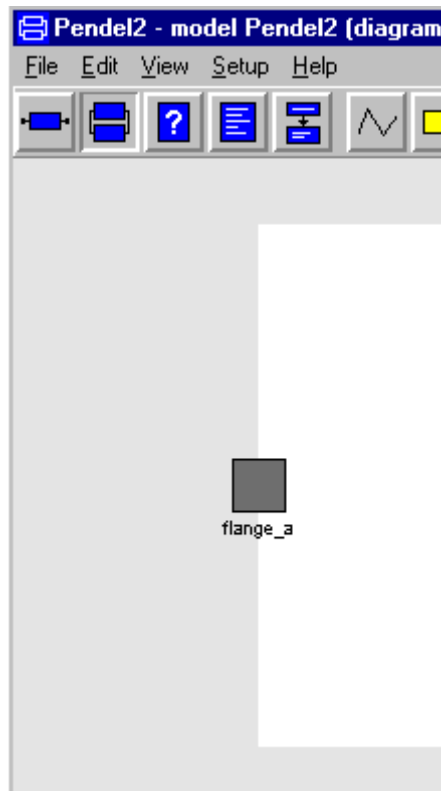


diagram layer



icon layer

## Exercise 4:b) Pendulum – equations by hand



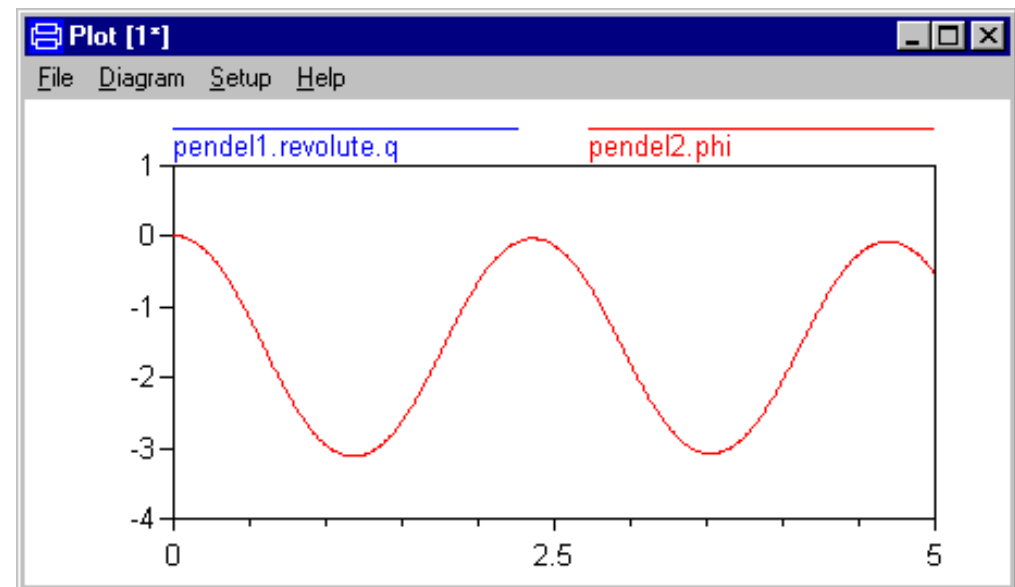
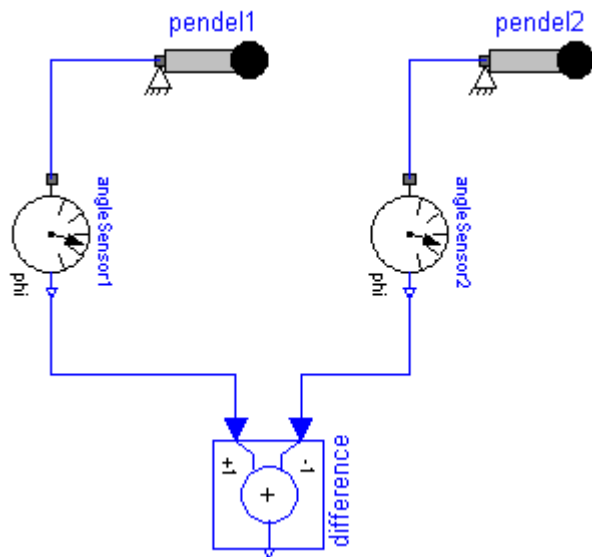
The screenshot shows the 'Pendel2 - model Pendel2 (equation)' window. It features a menu bar with 'File', 'Edit', 'View', 'Setup', and 'Help'. Below the menu is a toolbar with icons for opening, saving, undo, redo, and other standard functions. The main workspace contains the following Modelica code:

```
package SI = Modelica.SIunits ;
parameter SI.Length L=1 "Stablaenge";
parameter SI.Mass m=5 "Masse des Massenpunkts";
parameter SI.Damping d=0.1 "Daempfung im Gelenk";
parameter SI.Acceleration g=9.81 "Gravitationsbeschleunigung";
SI.Angle phi "Rotationswinkel vom Pendel";
SI.AngularVelocity w "Winkelgeschwindigkeit vom Pendel";

equation
  phi = flange_a.phi;
  w = der(phi);
  m*L*L*der(w) + d*w + m*g*L*cos(phi) = flange_a.tau;
```

## Exercise 4: Comparison of the two models

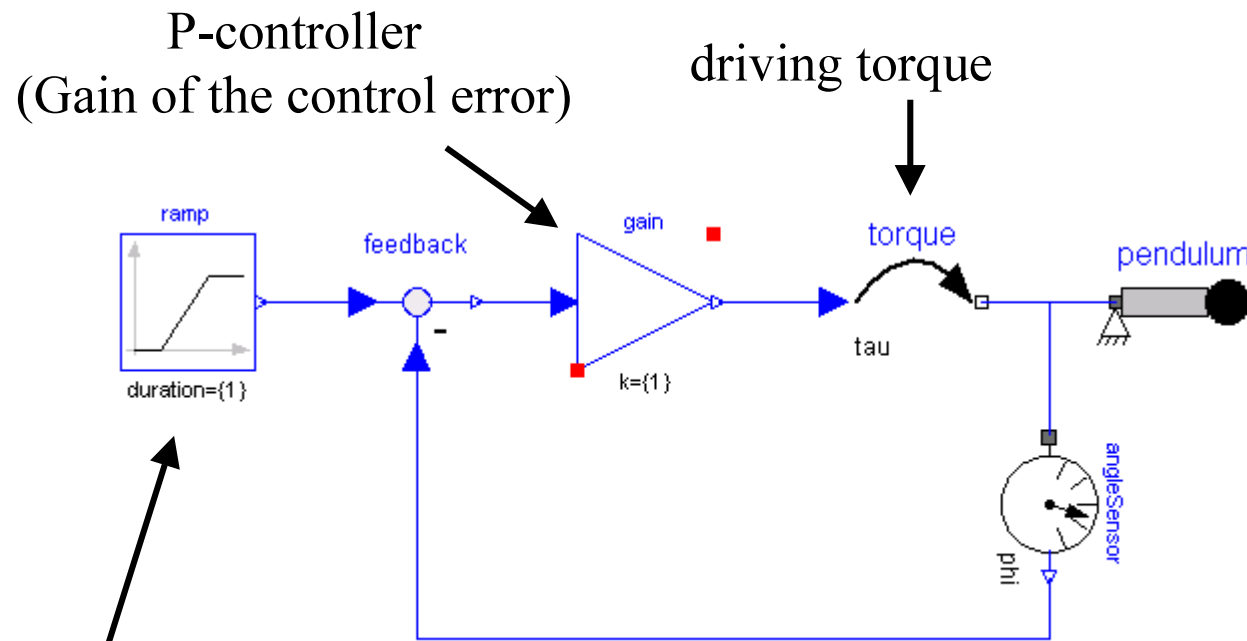
Compare the simulation results of both pendulum models (angle, etc.)



## Exercise 4: Simple control system of the robot arm

### Task 2:

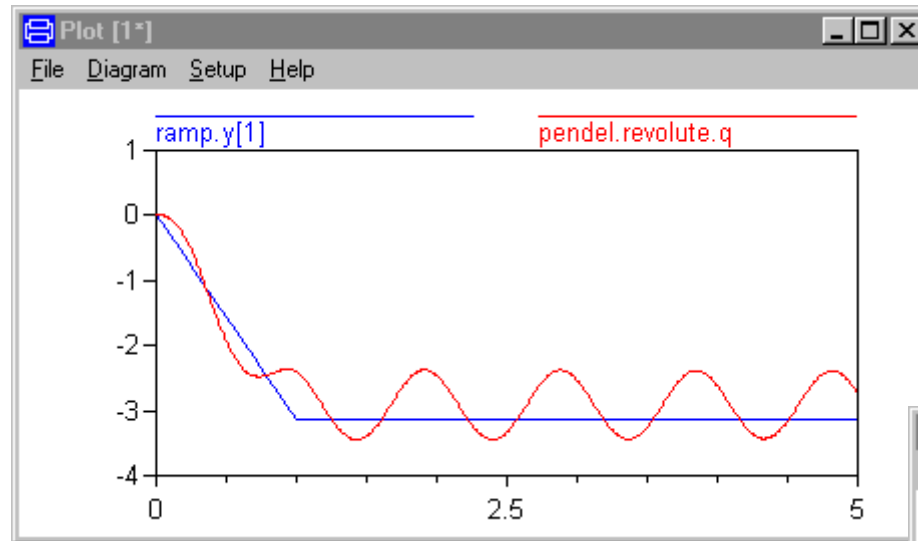
Build up a simple control system to easily change the angle of the robot arm:



target angle: change from 0 to -180 Grad

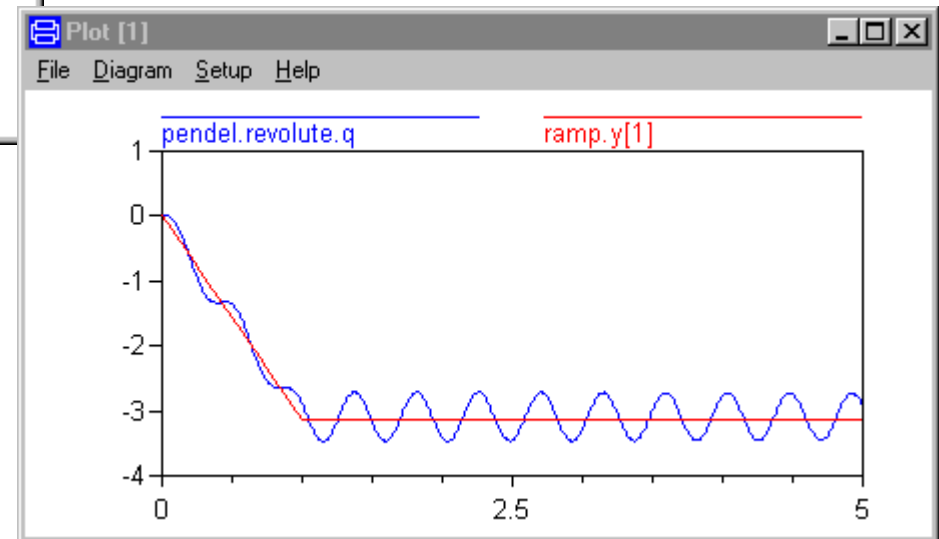
## Exercise 4: Simple control system of the robot arm

Try different values for the gain of the controller  
for example:  $\text{gain.k} = 1, 10, 100, 1000, 200$



$k = 200$

$k = 1000$




Control structure is too simple!




## Exercise 5: 1-dimensional heat flow

Build up a library of components to model 1-dimensional heat flow  
(package SI=Modelica.SIunits):



```
connector HeatCut_a
  SI.Temperature T;
  flow SI.HeatFLux q;
end HeatCut_a;
```

```
connector HeatCut_b
  SI.Temperature T;
  flow SI.HeatFLux q;
end HeatCut_b;
```



HeatResistance



```
model HeatResistance „only heat transport“
  parameter SI.Area A
  parameter SI.Length L
  parameter SI.ThermalConductivity lambda;
  HeatCut_a a; HeatCut_b b ;
equation
  a.q = lambda*A/L*(a.T - b.T);
  0 = a.q + b.q;
end HeatResistance
```

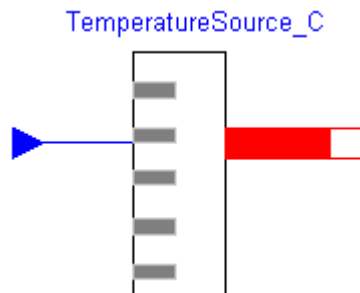
## Exercise 5: HeatLib-library



HeatCapacitance

```

model HeatCapacitance „only heat storage“
  parameter SI.Mass m;
  parameter SI.SpecificHeatCapacity c;
  parameter SI.Temp_C T0 "initial Temp.";
  HeatCut_a a(T(start=T0-Modelica.Constants.T_zero));
equation
  a.q = c*m*der(a.T);
end HeatCapacitance;
  
```

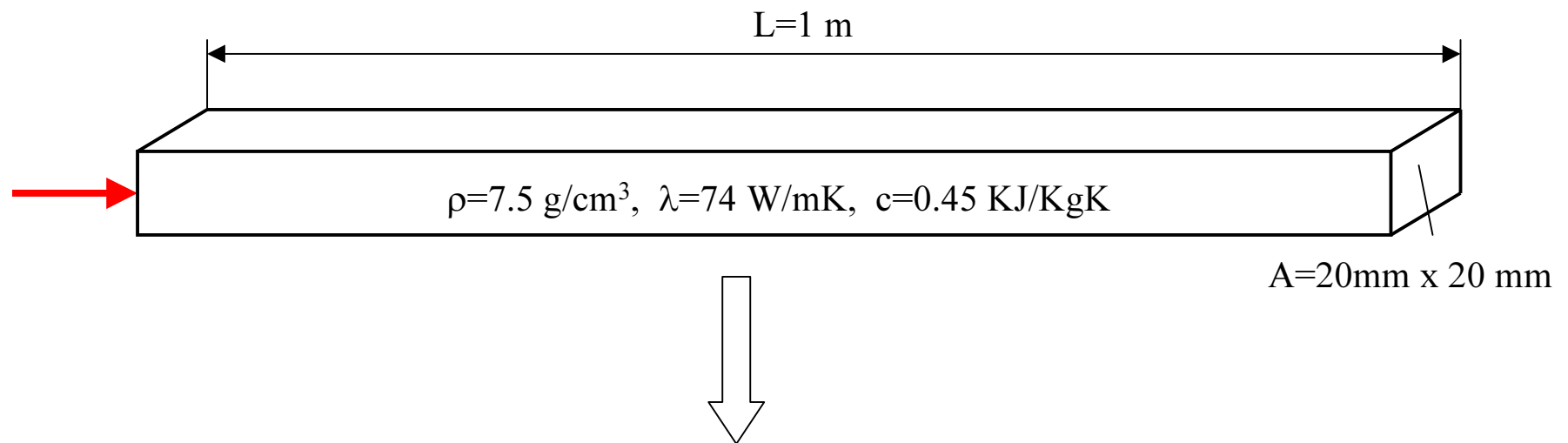


```

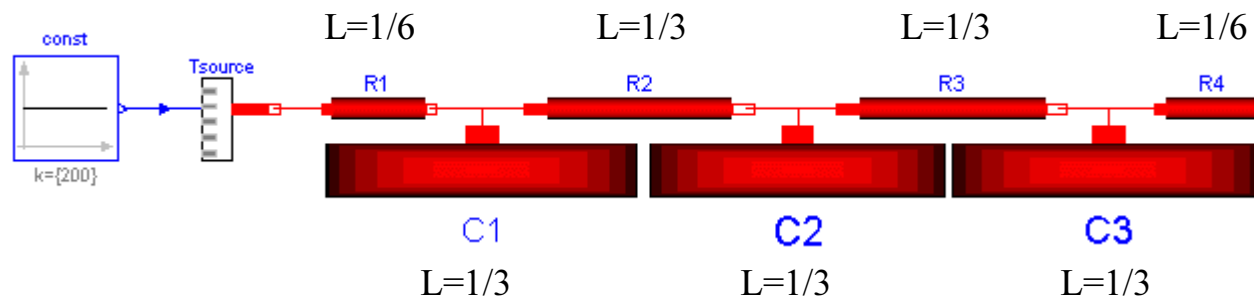
model TemperatureSource_C „fixed temperature“
  Modelica.Blocks.Interfaces.InPort inPort(n=1);
  HeatCut_b b;
equation
  b.T = inPort.signal[1]- Modelica.Constants.T_zero;
end TemperatureSource_C;
  
```

## Exercise 5: Modeling problem

A completely isolated rod shall be modeled which has a temperature of 20<sup>0</sup> Celsius everywhere. At the left end, suddenly the temperature is raised to a fixed temperature of 200<sup>0</sup> Celsius:

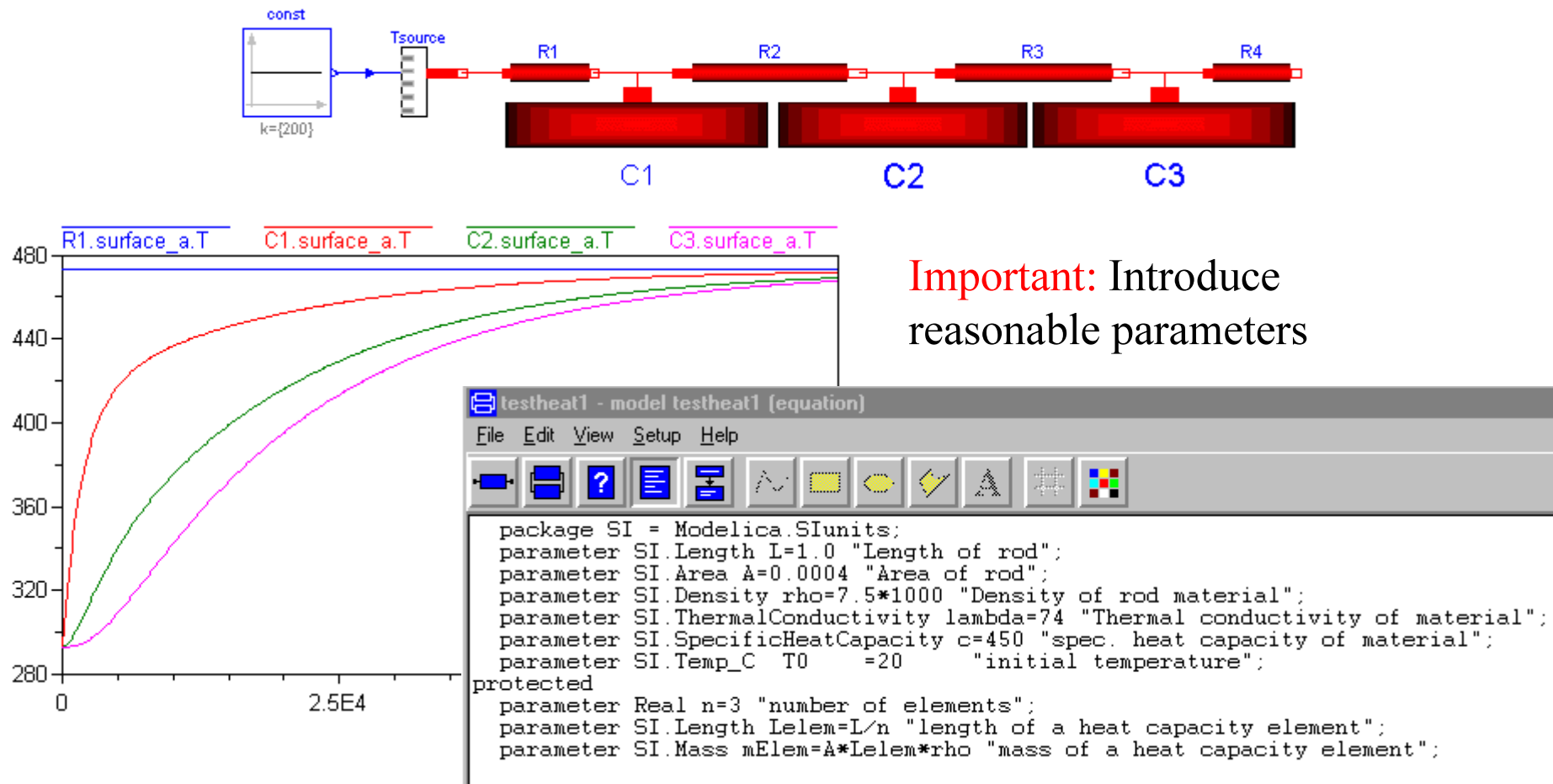


discretized rod in base elements of your library



## Exercise 5: Modeling with single elements

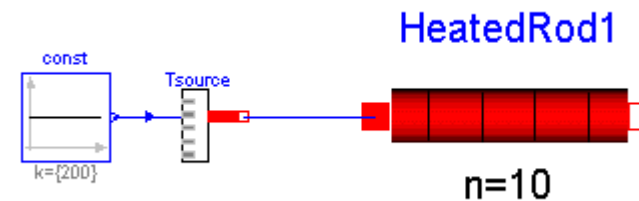
**Task 1:** Build up and simulate the rod with single elements ( $n=3$ ).



## Exercise 5: Modeling with component arrays

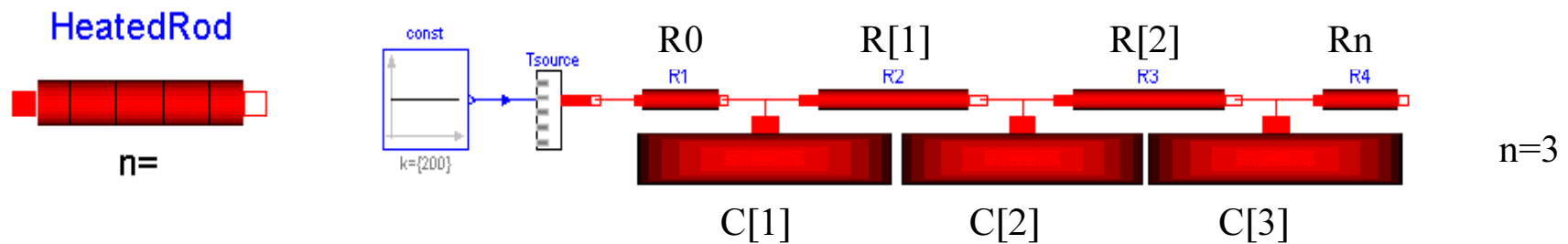
Usage of **single elements** has the **disadvantage**, that it is inconvenient to change to a **finer discretization**.

Better: use **component arrays**

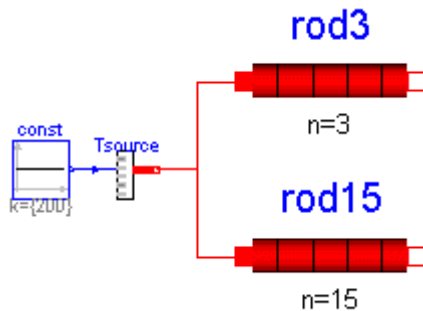


### Task 2:

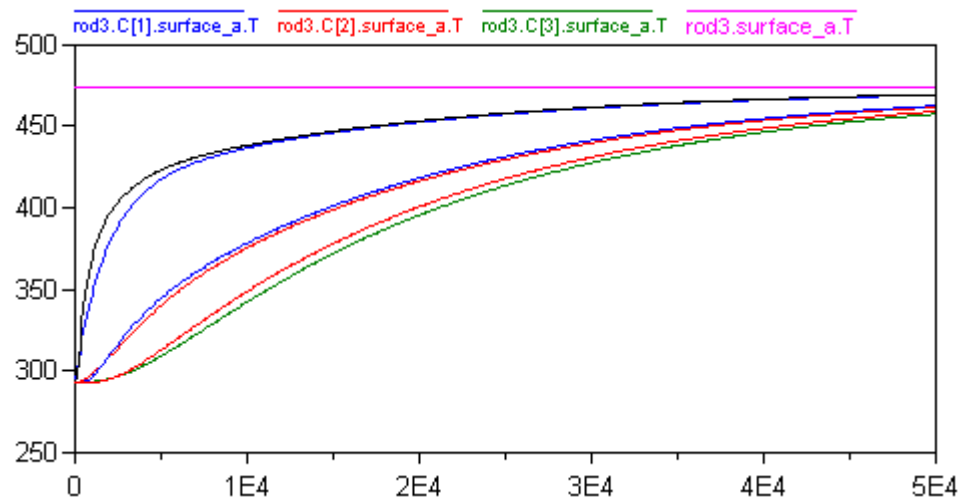
Model the rod with component arrays, such that the number  $n$  of discretized elements can be changed with one parameter. Compare simulations for  $n=3$  and  $n=10$ . Simulate for  $5e4$  s.



## Exercise 5: Result plot



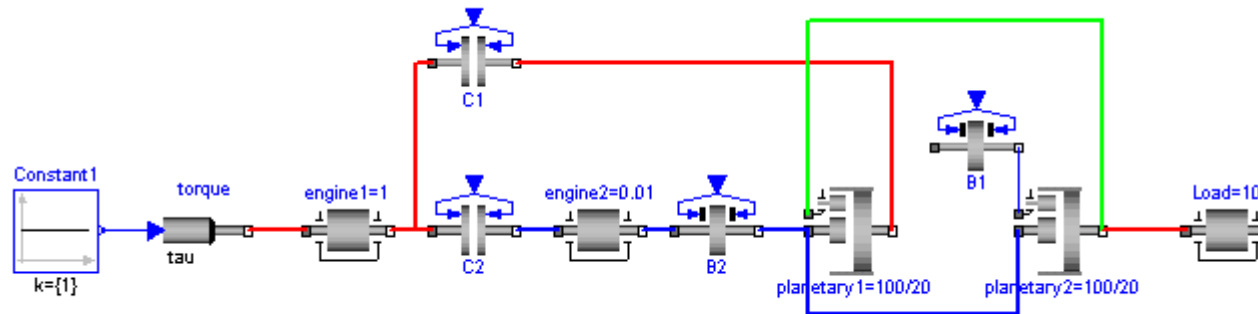
compare **n=3** with **n=15**  
( at n=15  
rod3.C[1] und rod15.C[3],  
rod3.C[2] und rod15.C[8],  
rod3.C[3] und rod15.C[12]  
are at the same place).



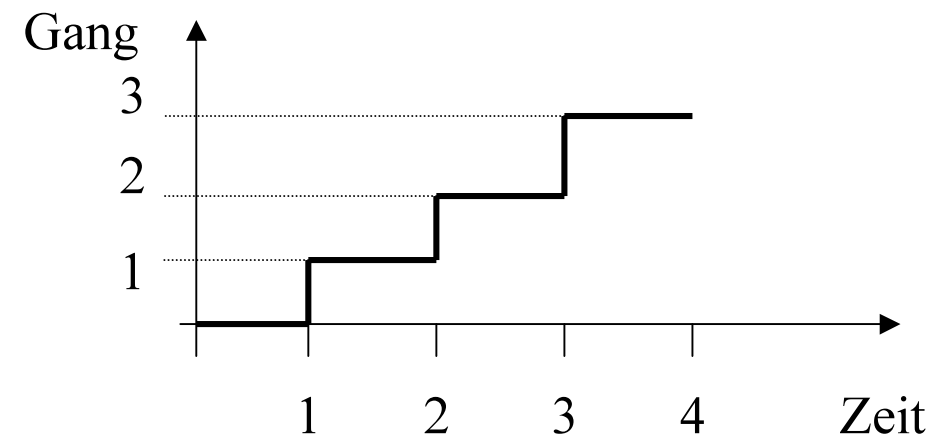
# Exercise 6: Simple automatic gearbox

## Task 1:

Build up the following model of a simple automatic gearbox and design a simple control for the clutches C1, C2 and brakes B1, B2, and simulate the gear shift from the figure at the lower, right part (shift from gear 1 to gear 3). Use the default value for the friction characteristics for all clutches and brakes.



Gang	C1	C2	B1	B2
0				
1	on		on	
2	on			on
3	on	on		



# Exercise 6: Fixing an appropriate contact pressure

**Task 2:** Determine an appropriate contact pressure of the Clutch.

Clutch.**mode**

= **2**: clutch is **not active**

= **1**: **forward sliding**

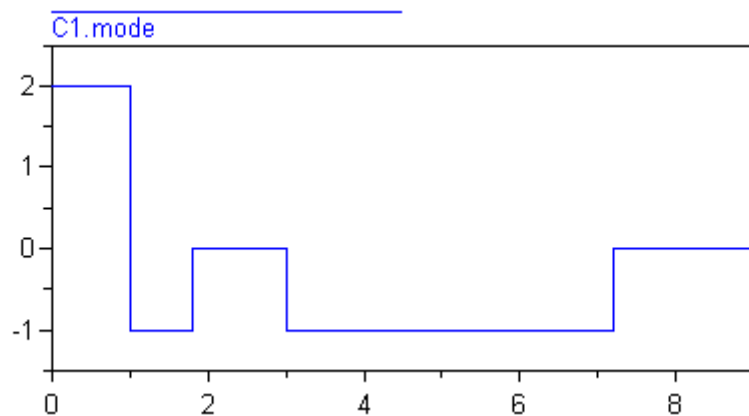
= **0**: **stuck** (no relative motion)

= **-1**: **backward sliding**

$k=200$

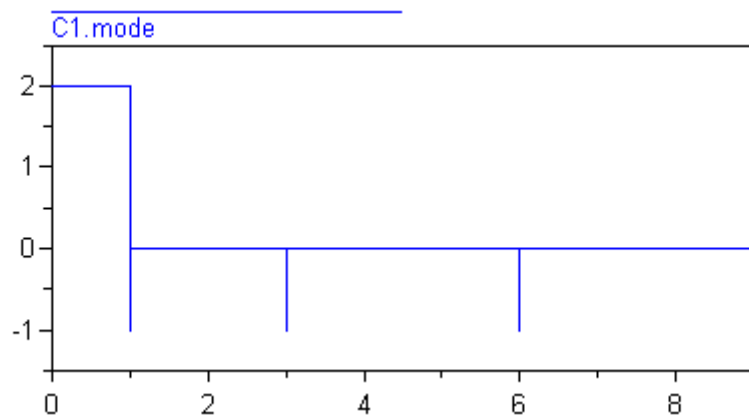
Clutch slips a lot

(heavy losses and wastage)



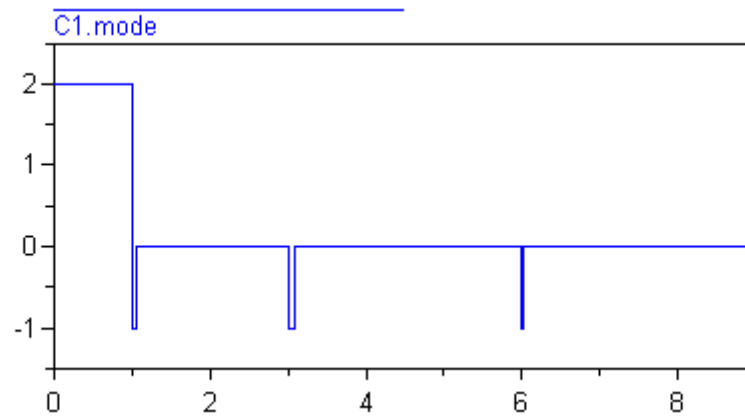
$k=10000$

Clutch does not slip at all  
(jerky changing gears)



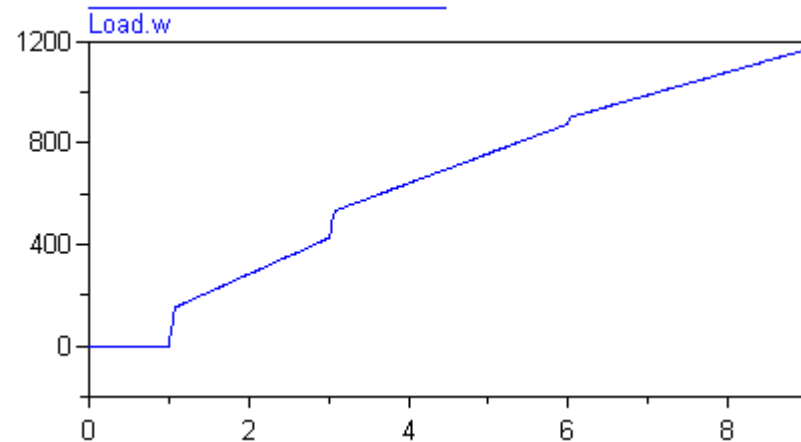


## Exercise 6: Fixing an appropriate contact pressure



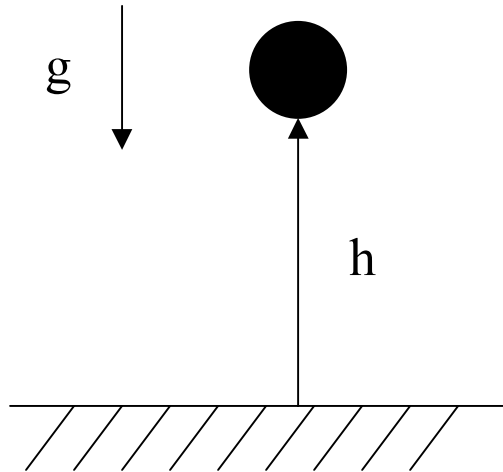
$k = 2000$

good compromise



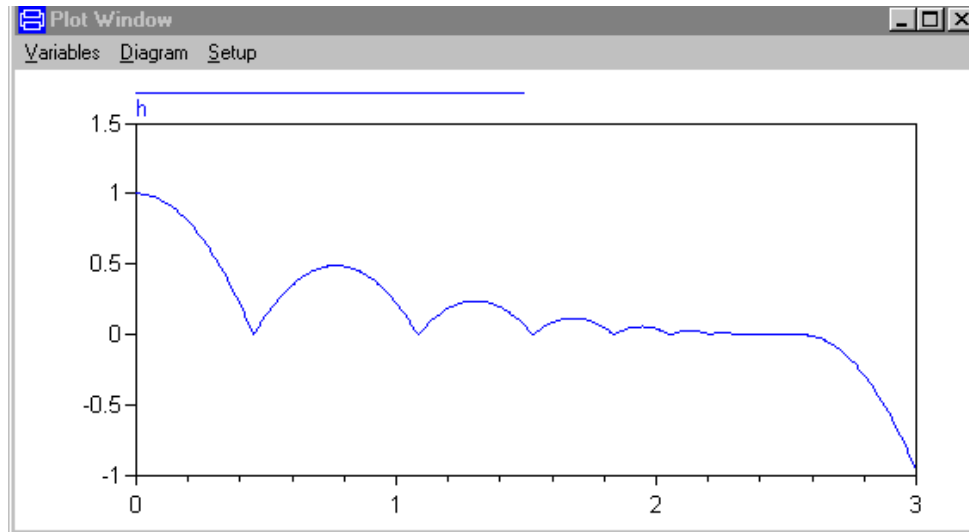
Drehzahl von Last

## Exercise 7: Bouncing ball



```
model bouncingBall
  parameter Real e=0.7;
  parameter Real g=9.81;
  Real h(start=1);
  Real v;
equation
  der(h) = v;
  der(v) = -g;

  when h <= 0 then
    reinit(v, -e*pre(v));
  end when;
end bouncingBall;
```

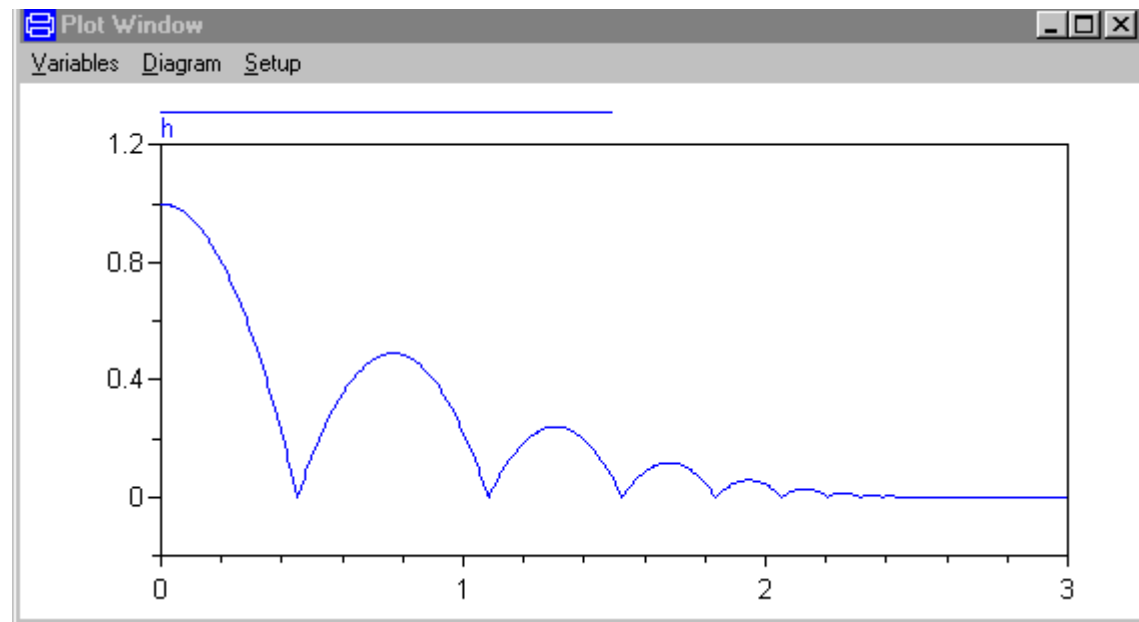


## Exercise 7: Bouncing ball

### Task:

- (a) Reproduce the simulation result of page 75 (see Tutorial)
- (b) Modify the model of the bouncing ball, so that the ball finally stays on the ground.

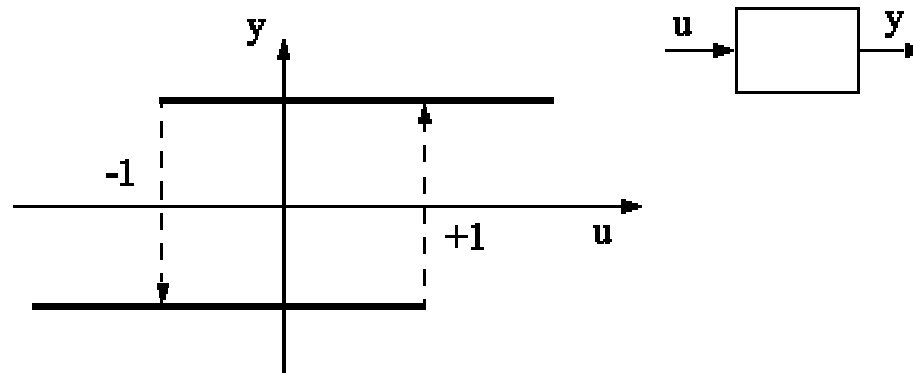
Idea: Change the model structure, if the velocity after the impulse is too small. (= Acceleration of the ball vanishes).



## Exercise 8: Modeling of an Hysteresis

### Task:

Build up a Modelica model of the following Hysteresis block. Use the **pre**-operator as memory to detect which branch of the characteristic curve has been calculated in the past.



Test the Hysteresis-block with a sinus-signal  $u = \sin(w \cdot \text{time})$

